

# SI Dimensions of Physical Quantities: Alphabetic List

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LIST BY CATEGORY | SI Units | Convertors ! Physics Constants | Math Constants | Notes

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A B C D E F G H I J K L M N O P Q R S T U V W X Y Z

Quantity	Dimension	Alternatives	Definition/Notes
<b>A:</b>			
Abbé number   Constringence   V-number	1	Dimensionless	$V_D = (n_D - 1)/(n_F - n_C)$
Absorbed radiation dose	$m^2 \cdot s^{-2}$	$J \cdot kg^{-1}$ , <b>Gy</b> (gray)	[Energy]/[Mass]
Absorbed dose rate	$m^2 \cdot s^{-3}$	$Gy \cdot s^{-1}$	[Absorbed dose]/[Time]
Acceleration, angular	$s^{-2}$	$rad \cdot s^{-2}$	$[\Delta \text{Angular velocity}]/[\Delta \text{Time}]$
Acceleration   Deceleration	$m \cdot s^{-2}$		$[\Delta \text{Velocity}]/[\Delta \text{Time}]$
Acoustic impedance / resistance / reactance	$kg \cdot m^{-4} \cdot s^{-1}$	$Pa \cdot s/m^3$ , <i>reyl</i> / $m^2$	[Pressure]/[Volume flow rate]
Acoustic impedance, specific	$kg \cdot m^{-2} \cdot s^{-1}$	$Pa \cdot s/m$ , <i>reyl</i>	$[\Delta \text{Pressure}] \cdot [\text{Velocity}]$ . Also <b>s.acu. resistance / reactance</b>
Acoustic conductance, specific	$kg^{-1} \cdot m^2 \cdot s$	<i>reyl</i> <sup>-1</sup>	Inverse of s.acu. impedance. Also <b>s.acu. susceptance</b>
Action	$kg \cdot m^2 \cdot s^{-1}$	J.s	[Energy]·[Time], [Moment of motion]·[Distance]
Activity of a radioactive source	$s^{-1}$	<b>Bq</b> (becquerel)	[Counts]/[Time]
Activity, katalytic	$mol \cdot s^{-1}$	<b>katal</b>	$[\Delta \text{Quantity}]/[\text{Time}]$ . Same as <b>molar production rate</b>
Activity, transactions rate	$s^{-1}$	1/year	[Transactions]/[Time period]. Economy and finance
Admittance, inductive	$kg^{-1} \cdot m^{-2} \cdot s^3 \cdot A^2$	<b>S</b> (siemens)	1/[Inductive impedance]
Admittance, of a circuit	$kg^{-1} \cdot m^{-2} \cdot s^3 \cdot A^2$	<b>S</b> (siemens)	1/[Circuit impedance]
Advection velocity	$m \cdot s^{-1}$	m/s	In <b>porous media</b> ; actual progress along pressure gradient
Albedo, of a surface	1	Dimensionless	[Reflected elmag power]/[Incident elmag power]
Amplification   Attenuation (generic)	1	usually in <b>dB</b>	$[\text{Quantity}(p)]/[\text{Quantity}(p')]$ , with p being some parameter
Angular acceleration	$s^{-2}$	$rad \cdot s^{-2}$	$[\Delta \text{Angular velocity}]/[\Delta \text{Time}]$
Angular moment of inertia	$kg \cdot m^2$		[Mass]·[Distance] <sup>2</sup>
Angular moment of motion	$kg \cdot m^2 \cdot s^{-1}$	J.s	[Moment of motion]·[Distance]. Like <b>[action]</b>
Angular velocity	$s^{-1}$	$rad \cdot s^{-1}$	$[\Delta \text{Plane angle}]/[\Delta \text{Time}]$
Annealing point	K		Temperature at which viscosity drops below $10^{12}$ Pa.s
Area	$m^2$		[Distance]·[Distance]
Area growth rate	$m^2 \cdot s^{-1}$		$[\Delta \text{Area}]/[\text{Time}]$
Asset   Wealth	cur	<b>currency</b>	Economy and finance
Atomic number	1	Dimensionless	Number of protons in an atomic nucleus
Atomic weight   Relative atomic mass	au	atomic units	Average over a typical isotopic composition
Attenuation   Amplification (generic)	1	usually in <b>dB</b>	$[\text{Quantity}(p)]/[\text{Quantity}(p')]$ , with p being some parameter
Attenuation / amplification over a distance	$m^{-1}$	dB/m	$[\text{Attenuation}]/[\text{Distance}]$ . Mostly in acoustic and electronics
Attenuation / amplification over a period	$s^{-1}$	dB/s	$[\text{Attenuation}]/[\text{Time}]$ . Mostly in acoustic and electronics
<b>B:</b>			
Bandwidth	$s^{-1}$	Hz	[ΔFrequency]
Baud rate   Information flux	$bit \cdot s^{-1}$	<b>baud</b>	[Information]/[Time]
Bond duration	s	year	Economy and finance
Bulk modulus	$kg \cdot m^{-1} \cdot s^{-2}$	$N \cdot m^{-2}$ , Pa	$([\Delta \text{Volume}]/[\text{Volume}])/[\text{Pressure}]$ . Inverse of <b>compressibility</b>
<b>C:</b>			
Capacitance, electric	$kg^{-1} \cdot m^{-2} \cdot s^4 \cdot A^2$	$C \cdot V^{-1}$ , <b>F</b> (farad)	[Charge]/[ΔPotential]
Capacitive reactance	$kg \cdot m^2 \cdot s^{-3} \cdot A^{-2}$	<b>Ω</b> (ohm)	$1/(i[\text{Angular frequency}] \cdot [\text{Capacitance}])$
Capacitive susceptance	$kg^{-1} \cdot m^{-2} \cdot s^3 \cdot A^2$	<b>S</b> (siemens)	1/[Capacitive reactance]
Cash flow	$cur \cdot s^{-1}$	currency/year	[Value]/[ΔTime]. Economy and finance
Circulation	$m^2 \cdot s^{-1}$	$J \cdot s \cdot kg^{-1}$	[Angular moment]/[Mass], [Velocity]·[Loop length]
Characteristic impedance	$kg \cdot m^2 \cdot s^{-3} \cdot A^{-2}$	$V \cdot A^{-1}$ , Ω, ohm	$\sqrt{([\text{Mag. Permeability}]/[\text{El. Permittivity}])}$
Charge, electric	s . A	<b>C</b> (coulomb)	[Current]·[Time]
Charge, magnetic (bound)	$m^{-2} \cdot A$		$-\nabla \cdot [\text{Magnetization}]$ , -Divergence of <b>magnetization</b>

Charge, quantum	1	Dimensionless	[Charge]/[Elementary charge quantum]
Charge, molecular/ionic, quantum	1	Dimensionless	[Charge of a molecule or ion]/[Elementary charge quantum]
Charge density	$m^{-3}.s.A$	$C.m^{-3}$	[Charge]/[Volume]
Charge/mass ratio   Specific charge	$kg^{-1}.s.A$	$C.kg^{-1}$	[Charge]/[Mass]
Charge, molar	$s.A.mol^{-1}$	$C.mol^{-1}$	[Charge]/[Quantity]
Chemical potential, molar	$kg.m^2.s^{-2}.mol^{-1}$	$J.mol^{-1}$	[ΔInternalEnergy]/[ΔQuantity]
Circuit admittance	$kg^{-1}.m^{-2}.s^3.A^2$	<b>S</b> (siemens)	1/[Circuit impedance]
Circuit impedance	$kg.m^2.s^{-3}.A^{-2}$	<b>Ω</b> (ohm)	
Circulation / velocity of money	$s^{-1}$	1/year	[Transactions]/[Time period]. Economy and finance
Circumference   Perimeter	m		
Collision cross section   Cross section	$m^2$		[Distance]*[Distance]
Compressibility	$kg^{-1}.m.s^2$	$Pa^{-1}$	[Pressure]/([ΔVolume]/[Volume]). Inverse of <b>bulk modulus</b>
Compression	$kg.m^{-1}.s^{-2}$	$N.m^{-2}$ , <b>Pa</b> (pascal)	[Force]/[Area]. Same as <b>pressure</b>
Compression factor of a real gas	1	Dimensionless	$pV/(nRT)$ . For ideal gas equals 1; temperature dependent
Compressive strength	$kg.m^{-1}.s^{-2}$	$N.m^{-2}$ , Pa	[Force]/[Area]. Like <b>pressure</b>
Concentration, molar	$m^{-3}.mol$		[Quantity]/[Volume]. Same as <b>molar density</b>
Concentration gradient, molar	$m^{-4}.mol$		[Molarity]/[Distance]. Same as <b>molarity gradient</b>
Concentration ratio, molar	1	Dimensionless	[Partial quantity]/[Total quantity]
Concentration ratio, by mass	1	Dimensionless	[Partial mass]/[Total mass]
Concentration ratio, by volume	1	Dimensionless	[Partial volume]/[Total volume]. .
Concentration, by weight (obsolete)	1	Dimensionless	[Partial mass]/[Total mass]. Obsolete: use <b>by mass</b>
Conductance, electric	$kg^{-1}.m^{-2}.s^3.A^2$	$A.V^{-1}$ , <b>S</b> (siemens)	1/[Resistance]
Conductivity, electric	$kg^{-1}.m^{-3}.s^3.A^2$	$S.m^{-1}$	1/[Resistivity]
Conductivity, hydraulic	$m.s^{-1}$	m/s	Used for <b>porous media</b>
Conductivity, molar	$kg^{-1}.s^3.A^2.mol^{-1}$	$S.m^2.mol^{-1}$	[El.conductivity]/[Concentration]
Conductivity, thermal	$kg.m.s^{-3}.K^{-1}$	$W.m^{-1}.K^{-1}$	[Heat flux]/([Distance]*[ΔTemperature])
Constringence   Abbé number   V-number	1	Dimensionless	$V_D = (n_D - 1)/(n_F - n_C)$
Convergence	$m^{-1}$	<b>dioptre</b>	in optics, but not only
Cosmological constant Λ	$m^{-2}$		Present in Einstein's equation
Cosmological expansion rate	$s^{-1}$	km/s/Mpc	[Velocity]/[Distance]. Mpc stands for Megaparsec
Count of events/instances	1		This covers all kinds of <b>enumerations</b>
Count rate	$s^{-1}$		[Counts]/[Time]
Couple	$kg.m^2.s^{-2}$	N.m	2*[Force]*[Distance] for two non-aligned opposing forces
Critical angle of repose	rad	or degree	Steepest angle of a slope before a slide
Cross section	$m^2$		[Distance]*[Distance]
Cryoscopic constant	$kg.mol^{-1}.K$	$K/(mol/kg)$	[ΔTemperature]/[Molality]
Current, electric	A	<b>A</b> (ampere)	
Current density, electric	$m^{-2}.A$		[Current]/[Area]. Same as <b>current intensity</b>
Current intensity, electric	$m^{-2}.A$		[Current]/[Area]. Same as <b>current density</b>
Current noise, variance $n_j^2$	$s.A^2$	$A^2/Hz$	[Current] <sup>2</sup> /[Bandwidth]
Curvature	$m^{-1}$		1/[Curvature radius]
Curvature radius	m		of a line in plane/space or surface in space

## D:

D'Alembert operator   D'Alembertian	$m^{-2}$		$(1/c^2)\partial^2/\partial t^2 - \partial^2/\partial x^2 - \partial^2/\partial y^2 - \partial^2/\partial z^2$
Debt   Liability	cur	<b>currency</b>	Economy and finance
Debt/GDP ratio	s	year	[Debt]/[Earnings]. Economy and finance
Deceleration   Acceleration	$m.s^{-2}$		[ΔVelocity]/[ΔTime]
Deceleration, angular	$s^{-2}$	$rad.s^{-2}$	[ΔAngular velocity]/[ΔTime]
Density of electric charge	$m^{-3}.s.A$	$C.m^{-3}$	[Charge]/[Volume]
Density of electric current	$m^{-2}.A$		[Current]/[Area]. Same as <b>current intensity</b>
Density of energy	$kg.m^{-1}.s^{-2}$	$J.m^{-3}$	[Energy]/[Volume]
Density of mass	$kg.m^{-3}$		[Mass]/[Volume]. Same as <b>specific density</b>
Density of mass, gradient of	$kg.m^{-4}$		[Mass density]/[Distance]. Same as <b>specific density gradient</b>
Density of particles	$m^{-3}$		[Count]/[Volume]. Obsolete: <b>number density</b>
Density of substance	$m^{-3}.mol$		[Quantity]/[Volume]. Same as <b>molar concentration</b>

Derivative with respect to time	$s^{-1}$		$d/dt, \partial/\partial t$
Derivative with respect to a length	$m^{-1}$		$d/dr, \partial/\partial r, r = x   y   z$
Dielectric constant   Relative permittivity	1	Dimensionless	[Permittivity]/[Permittivity of vacuum]
Dielectric strength/rigidity   Electric strength	$kg.m.s^{-3}.A^{-1}$	$V.m^{-1}$	$[\Delta Potential]/[Distance]$
Diffusion coefficient	$m^2.s^{-1}$		$[Distance]^2/[Time]$
Diffusivity, thermal	$m^2.s^{-1}$		$([\partial Temperature]/[\partial Time])/[V^2 Temperature]$ .
Dipole moment, electric	$m.s.A$	C.m	[Charge]*[Distance]
Dipole moment, magnetic	$m^2.A$	$J.T^{-1}$	[Current]*[Area]
Dispersive power	1	Dimensionless	Ratio of differences of refractive indices
Dispersivity quotient	$m^{-1}$		$[\Delta Refractive index]/[\Delta Wavelength]$
Displacement, electric	$m^{-2}.s.A$	$C.m^{-2}$	[Charge]/[Area]. Same as <b>electric flux density</b>
Displacement four-tensor (relativistic $D^{\mu\nu}$ )	$m^{-1}.A$		Like <b>magnetic intensity</b>
Distance	m		in all Euclidean n-dimensional spaces
Dose of absorbed radiation	$m^2.s^{-2}$	$J.kg^{-1}$ , <b>Gy</b> (gray)	[Energy]/[Mass]
Dose rate	$m^2.s^{-3}$	$Gy.s^{-1}$	[Absorbed dose]/[Time]
Drift speed	$m.s^{-1}$		Steady-state speed of an object .
Duration	s	<b>s</b> (second)	
Dynamic viscosity	$kg.m^{-1}.s^{-1}$	Pa.s	$([Force]/[Area])/[\Delta Velocity]$

### E:

Earnings   Income rate	$cur.s^{-1}$	currency/year	[Value]/[Time period]. Economy and finance
Ebullioscopic constant	$kg.mol^{-1}.K$	$K/(mol/kg)$	$[\Delta Temperature]/[Molality]$
Electric capacitance	$kg^{-1}.m^{-2}.s^4.A^2$	$C.V^{-1}$ , <b>F</b> (farad)	[Charge]/ $[\Delta Potential]$
Electric charge	s .A	<b>C</b> (coulomb)	[Current]*[Time]
Electric conductance	$kg^{-1}.m^{-2}.s^3.A^2$	$A.V^{-1}$ , <b>S</b> (siemens)	[Current]/ $[\Delta Potential]$ . Inverse of <b>resistance</b>
Electric conductivity	$kg^{-1}.m^{-3}.s^3.A^2$	$S.m^{-1}$	$1/[Resistivity]$
Electric conductivity, molar	$kg^{-1}.s^3.A^2.mol^{-1}$	$S.m^2.mol^{-1}$	[El.conductivity]/[Concentration]
Electric current	A	<b>A</b> (ampere)	
Electric dipole moment	$m.s.A$	C.m	[Charge]*[Distance]
Electric displacement	$m^{-2}.s.A$	$C.m^{-2}$	[Charge]/[Area]. Same as <b>electric flux density</b>
Electric field strength   Electric intensity	$kg.m.s^{-3}.A^{-1}$	$V.m^{-1}$	$[\Delta Potential]/[Distance]$
Electric field gradient	$kg.s^{-3}.A^{-1}$	$V.m^{-2}$	$[\Delta El. field strength]/[Distance]$
Electric flux density   Electric induction	$m^{-2}.s.A$	$C.m^{-2}$	[Charge]/[Area]
Electric inductance	$kg.m^2.s^{-2}.A^{-2}$	$V.s.A^{-1}$ , <b>H</b> (henry)	$[\Delta Potential]/[dCurrent/dt]$
Electric induction	$m^{-2}.s.A$	$C.m^{-2}$	[Charge]/[Area]. More properly <b>electric flux density</b>
Electric intensity	$kg.m.s^{-3}.A^{-1}$	$V.m^{-1}$	$[\Delta Potential]/[Distance]$ . More properly <b>electric field strength</b>
Electric permittivity	$kg^{-1}.m^{-3}.s^4.A^2$	$F.m^{-1}$	[El.flux density]/[El.field strength]
Electric permittivity, relative	1	Dimensionless	[Permittivity]/[Permittivity of vacuum]. Same as <b>dielectric constant</b>
Electric polarization	$m^{-2}.s.A$	$C.m^{-2}$	[Charge]/[Area]. Like <b>electric flux density</b>
Electric potential	$kg.m^2.s^{-3}.A^{-1}$	$W.A^{-1}$ , $J.C^{-1}$ , <b>V</b> (volt)	[Power]/[Current], [Energy]/[Charge]
Electric quadrupole moment	$m^2.s.A$	$C.m^2$	[Electric dipole]*[Distance], [Electric charge]*[Distance <sup>2</sup> ]
Electric resistance	$kg.m^2.s^{-3}.A^{-2}$	$V.A^{-1}$ , <b>Ω</b> (ohm)	$[\Delta Potential]/[Current]$
Electric resistivity	$kg.m^3.s^{-3}.A^{-2}$	$\Omega.m$	$([Resistance]*[Length])/[Area]$
Electric strength   Dielectric strength	$kg.m.s^{-3}.A^{-1}$	$V.m^{-1}$	$[\Delta Potential]/[Distance]$ . .
Electromagnetic field tensor (relativistic $F^{\mu\nu}$ )	$kg.s^{-2}.A^{-1}$	<b>T</b>	Like <b>magnetic flux density</b>
Electromagnetic displacement (relat. $D^{\mu\nu}$ )	$m^{-1}.A$		Like <b>magnetic intensity</b>
Electromagnetic four-current (relativistic $J^\alpha$ )	$m^{-2}.A$		Like <b>current density</b> and [Charge]*[c]
Electromagnetic four-potential (relativistic $A^\alpha$ )	$kg.m.s^{-2}.A^{-1}$	$m^{-1}.s.V, m.T$	Like <b>magnetic vector potential</b> and [El.potential]/[c]
Electromotive force (emf)	$kg.m^2.s^{-3}.A^{-1}$	V	$[\Delta Potential]$
Electron affinity (always molar)	$kg.m^2.s^{-2}.mol^{-1}$	$J.mol^{-1}$	Energy released binding an electron
Electronegativity, Pauling $\chi$	1	Dimensionless	Relative tendency of an atom to attract electrons; $\chi(H)=2.20$ .
Electrostriction coefficient	$kg^{-2}.m^{-2}.s^6.A^2$	$m^2.V^{-2}$	$([\Delta Volume]/[Volume])/[Electric field strength]^2$
Emittance, luminous	$cd.sr.m^{-2}$	$lm.m^{-2}$ , <b>lx</b> (lux)	[Luminous flux]/[Area]. Same as <b>luminous exitance</b>
Energy	$kg.m^2.s^{-2}$	$N.m, J$ (joule)	[Force]*[Distance], [Power]*[Time]
Energy, molar	$kg.m^2.s^{-2}.mol^{-1}$	$J.mol^{-1}$	[Energy]/[Quantity]
Energy, specific	$m^2.s^{-2}$	$J.kg^{-1}$	[Energy]/[Mass]

Energy density	$\text{kg}\cdot\text{m}^{-1}\cdot\text{s}^{-2}$	$\text{J}\cdot\text{m}^{-3}$	[Energy]/[Volume]
Energy flux   Power	$\text{kg}\cdot\text{m}^2\cdot\text{s}^{-3}$	$\text{J}\cdot\text{s}^{-1}$ , <b>W</b> (watt)	$[\Delta\text{Energy}]/[\Delta\text{Time}]$
Enthalpy	$\text{kg}\cdot\text{m}^2\cdot\text{s}^{-2}$	J	Like <b>energy</b> and <b>heat</b>
Enthalpy, molar	$\text{kg}\cdot\text{m}^2\cdot\text{s}^{-2}\cdot\text{mol}^{-1}$	$\text{J}\cdot\text{mol}^{-1}$	$[\text{Enthalpy}]/[\text{Quantity}]$ . Like <b>molar heat</b>
Enthalpy, specific	$\text{m}^2\cdot\text{s}^{-2}$	$\text{J}\cdot\text{kg}^{-1}$	$[\text{Enthalpy}]/[\text{Mass}]$ . Like <b>specific heat</b>
Entropy	$\text{kg}\cdot\text{m}^2\cdot\text{s}^{-2}\cdot\text{K}^{-1}$	$\text{J}\cdot\text{K}^{-1}$	$[\Delta\text{Heat}]/[\text{Temperature}]$
Entropy, molar	$\text{kg}\cdot\text{m}^2\cdot\text{s}^{-2}\cdot\text{K}^{-1}\cdot\text{mol}^{-1}$	$\text{J}\cdot\text{K}^{-1}\cdot\text{mol}^{-1}$	$[\text{Entropy}]/[\text{Quantity}]$
Entropy, specific	$\text{m}^2\cdot\text{s}^{-2}\cdot\text{K}^{-1}$	$\text{J}\cdot\text{K}^{-1}\cdot\text{kg}^{-1}$	$[\text{Entropy}]/[\text{Mass}]$
Evolution rate, log-scale	$\text{s}^{-1}$		$d(\ln(Q))/dt = (dQ/dt)/Q$ . Same as <b>relative evolution rate</b>
Expansion coefficient, thermal	$\text{K}^{-1}$		$([\Delta\text{Length}]/[\text{Length}])/[\text{Temperature}]$
Expansion rate, cosmological	$\text{s}^{-1}$	km/s/Mpc	$[\text{Velocity}]/[\text{Distance}]$ . Mpc stands for Megaparsec
Expectation frequency	$\text{s}^{-1}$		$[\text{Counts}]/[\text{Time}]$ . Like <b>count rate</b>
Exposure	$\text{kg}^{-1}\cdot\text{s}\cdot\text{A}$	$\text{C}\cdot\text{kg}^{-1}$	$[\text{Charge}]/[\text{Mass}]$ . Used for ionising radiations
Extinction coefficient	$\text{m}^{-1}$	dB/m	$[\text{Ratio}]/\text{m}$ . Used mostly for radiation

## F:

Field tensor, electromagnetic (relativistic $F^{\mu\nu}$ )	$\text{kg}\cdot\text{s}^{-2}\cdot\text{A}^{-1}$	<b>T</b>	Like <b>magnetic flux density</b>
Fire point	K		Temperature at which ignited vapour keeps burning
Flash point	K		Temperature at which vapour can be kept burning
Flow	$\text{cur}\cdot\text{s}^{-1}$	currency/year	$[\Delta\text{Value}]/[\Delta\text{Time}]$ . Economy and finance: time derivative
Flow rate, of mass   Mass production rate	$\text{kg}\cdot\text{s}^{-1}$		$[\Delta\text{Mass}]/[\text{Time}]$ . For example, through a pipe
Flow rate, of volume	$\text{m}^3\cdot\text{s}^{-1}$		$[\Delta\text{Volume}]/[\text{Time}]$ . For example, through a pipe
Force	$\text{kg}\cdot\text{m}\cdot\text{s}^{-2}$	<b>N</b> (newton)	$[\text{Mass}]\cdot[\text{Acceleration}]$
Force, thermodynamic	$\text{kg}\cdot\text{m}\cdot\text{s}^{-2}\cdot\text{mol}^{-1}$	N/mol	$[\Delta\text{Chemical potential}]/[\text{Distance}]$
Four-current (relativistic $J^\alpha$ )	$\text{m}^{-2}\cdot\text{A}$		Like <b>current density</b> and $[\text{Charge}]\cdot[c]$
Four-potential (relativistic $A^\alpha$ )	$\text{kg}\cdot\text{m}\cdot\text{s}^{-2}\cdot\text{A}^{-1}$	$\text{m}^{-1}\cdot\text{s}\cdot\text{V}$ , m.T	Like <b>magnetic vector potential</b> and $[\text{Ei.potential}]/[c]$
Four-tensor elmag displacement (relat. $D^{\mu\nu}$ )	$\text{m}^{-1}\cdot\text{A}$		Like <b>magnetic intensity</b>
Four-tensor elmag field (relativistic $F^{\mu\nu}$ )	$\text{kg}\cdot\text{s}^{-2}\cdot\text{A}^{-1}$	<b>T</b>	Like <b>magnetic flux density</b>
Free energy	$\text{kg}\cdot\text{m}^2\cdot\text{s}^{-2}$	J	Also <b>Helmholtz function</b> . Like <b>energy</b>
Free energy, molar	$\text{kg}\cdot\text{m}^2\cdot\text{s}^{-2}\cdot\text{mol}^{-1}$	$\text{J}\cdot\text{mol}^{-1}$	$[\text{Free energy}]/[\text{Quantity}]$ . Like <b>Helmholtz function</b>
Free energy, specific	$\text{m}^2\cdot\text{s}^{-2}$	$\text{J}\cdot\text{kg}^{-1}$	$[\text{Free energy}]/[\text{Mass}]$ . Like <b>specific Helmholtz function</b>
Free enthalpy	$\text{kg}\cdot\text{m}^2\cdot\text{s}^{-2}$	J	Also <b>Gibbs function</b> . Like <b>energy</b>
Free enthalpy, molar	$\text{kg}\cdot\text{m}^2\cdot\text{s}^{-2}\cdot\text{mol}^{-1}$	$\text{J}\cdot\text{mol}^{-1}$	$[\text{Free enthalpy}]/[\text{Quantity}]$ . Like <b>molar Gibbs function</b>
Free enthalpy, specific	$\text{m}^2\cdot\text{s}^{-2}$	$\text{J}\cdot\text{kg}^{-1}$	$[\text{Free enthalpy}]/[\text{Mass}]$ . Like <b>specific Gibbs function</b>
Frequency of events	$\text{s}^{-1}$		$[\text{Counts}]/[\text{Time}]$
Frequency of waves	$\text{s}^{-1}$	<b>Hz</b>	<b>hertz</b>
Frequency drift rate	$\text{s}^{-2}$	$\text{Hz}\cdot\text{s}^{-1}$	$[\Delta\text{Frequency}]/[\text{Time}]$
Friction	$\text{kg}\cdot\text{m}\cdot\text{s}^{-2}$	<b>N</b>	Tangential force between two moving surfaces
Friction coefficient	1	Dimensionless	$[\text{Tangential force}]/[\text{Normal force}]$
Fugacity	$\text{kg}\cdot\text{m}^{-1}\cdot\text{s}^{-2}$	Pa	Effective pressure in real gases

## G:

Gain of a device	1	Dimensionless	$[\text{Output}]/[\text{Input}]$ , like-quantities ratio. Often in dB
GDP Gross domestic product	$\text{cur}\cdot\text{s}^{-1}$	currency/year	[Earnings]. Economy and finance: of an administrative region
g-factor of a particle	1	Dimensionless	$[\text{Magnetic moment}]/([\text{Spin}]\cdot[\text{Bohr magneton}])$
Gradient, of electric field	$\text{kg}\cdot\text{s}^{-3}\cdot\text{A}^{-1}$	$\text{V}\cdot\text{m}^{-2}$	$[\Delta\text{Ei.field strength}]/[\text{Distance}]$
Gradient, of magnetic field	$\text{kg}\cdot\text{m}^{-1}\cdot\text{s}^{-2}\cdot\text{A}^{-1}$	$\text{T}\cdot\text{m}^{-1}$	$[\Delta\text{Mag.flux density}]/[\text{Distance}]$
Gradient, of mass density	$\text{kg}\cdot\text{m}^{-4}$		$[\text{Mass density}]/[\text{Distance}]$ . Same as <b>specific density gradient</b>
Gradient, of pressure	$\text{kg}\cdot\text{m}^{-2}\cdot\text{s}^{-2}$	$\text{N}\cdot\text{m}^{-3}$ , <b>Pa/m</b>	$[\text{Pressure}]/[\text{Distance}]$
Gradient, thermal	$\text{K}\cdot\text{m}^{-1}$		$[\Delta\text{Temperature}]/[\text{Distance}]$ . Same as <b>temperature gradient</b>
Gravitational constant G	$\text{kg}^{-1}\cdot\text{m}^3\cdot\text{s}^{-2}$		$[\text{Force}]\cdot[\text{Distance}]^2/[\text{Mass}]^2$ . Appears in Newton's equation
Gravitational field intensity   Gravity	$\text{m}\cdot\text{s}^{-2}$		$[\text{Force}]/[\text{Mass}]$ , [Acceleration]
Gravitational field potential	$\text{m}^2\cdot\text{s}^{-2}$		$[\text{Energy}]/[\text{Mass}]$ .
Gravity   Gravitational field intensity	$\text{m}\cdot\text{s}^{-2}$		$[\text{Force}]/[\text{Mass}]$ , [Acceleration]
Growth rate, relative	$\text{s}^{-1}$		$[\text{Relative variation}]/[\text{Time}]$
Growth rate, linear	$\text{m}\cdot\text{s}^{-1}$		$[\Delta\text{Length}]/[\text{Time}]$
Growth rate, of area/surface	$\text{m}^2\cdot\text{s}^{-1}$		$[\Delta\text{Area}]/[\text{Time}]$

Growth rate, of volume	$m^3.s^{-1}$		$[\Delta Volume]/[Time]$
Gyromagnetic ratio	$kg^{-1}.s.A$	$Hz.T^{-1}$	$[Mag.moment]/[Angular\ moment\ of\ motion]$
<b>H:</b>			
Half life	s		of a non-conservative / decaying quantity
Hamiltonian	$kg.m^2.s^{-2}$	J	$[Force]*[Distance]$ , $[Power]*[Time]$ . Like <b>energy</b>
Hardness	$kg.m^{-1}.s^{-2}$	$N.m^{-2}$	$[Force]/[Area]$ . Same as <b>pressure</b>
Heat	$kg.m^2.s^{-2}$	J	Like <b>energy</b>
Heat, molar	$kg.m^2.s^{-2}.mol^{-1}$	$J.mol^{-1}$	$[Heat]/[Quantity]$
Heat, specific	$m^2.s^{-2}$	$J.kg^{-1}$	$[Heat]/[Mass]$
Heat capacity	$kg.m^2.s^{-2}.K^{-1}$	$J.K^{-1}$	$[\Delta Heat]/[\Delta Temperature]$
Heat capacity, molar	$kg.m^2.s^{-2}.K^{-1}.mol^{-1}$	$J.K^{-1}.mol^{-1}$	$[Heat\ capacity]/[Quantity]$
Heat capacity, specific	$m^2.s^{-2}.K^{-1}$	$J.K^{-1}.kg^{-1}$	$[Heat\ capacity]/[Mass]$
Heat conductivity   Thermal conductivity	$kg.m.s^{-3}.K^{-1}$	$W.m^{-1}.K^{-1}$	$[Heat\ flux]/([Distance]*[\Delta Temperature])$
Heat flux	$kg.m^2.s^{-3}$	J.s, W	$[\Delta Heat]/[\Delta Time]$ . Like <b>power</b>
Heat flux density	$kg.s^{-3}$	$W.m^{-2}$	$[Heat\ flux]/[Area]$ . Same as <b>irradiance</b>
Heat of fusion/evaporation, specific	$m^2.s^{-2}$	$J.kg^{-1}$	$[Energy]/[Mass]$
Heat of fusion   evaporation, molar	$kg.m^2.s^{-2}.mol^{-1}$	$J.mol^{-1}$	$[Energy]/[Quantity]$
Hydraulic conductivity	$m.s^{-1}$	m/s	Used for <b>porous media</b>
Hydraulic permeability	$m^2$	1 darcy = $10^{-12} m^2$	$[Velocity]*[Viscosity]/[Pressure\ gradient]$ , in <b>porous media</b>
<b>I:</b>			
Illuminance	$cd.sr.m^{-2}$	$lm.m^{-2}$ , <b>lx</b> (lux)	$[Luminous\ flux]/[Area]$
Impact resistance	$kg.s^{-2}$	$J.m^{-2}$	$[Energy]/[Area]$
Impedance, acoustic	$kg.m^{-4}.s^{-1}$	$Pa.s/m^3$ , <b>reyl</b> / $m^2$	$[\Delta Pressure]/[Volume\ flow\ rate]$ . Also <b>acu. resistance / reactance</b>
Impedance, acoustic, specific	$kg.m^{-2}.s^{-1}$	$Pa.s/m$ , <b>reyl</b>	$[\Delta Pressure]*[Velocity]$ . Also <b>s.acu. resistance / reactance</b>
Impedance, characteristic, electric	$kg.m^2.s^{-3}.A^{-2}$	$V.A^{-1}$ , $\Omega$ , ohm	$\sqrt{([Mag.Permittibility]/[El.Permittivity])}$
Impedance, inductive	$kg.m^2.s^{-3}.A^{-2}$	$\Omega$ (ohm)	$i[\Angular\ frequency].[Inductance]$
Impedance, of a circuit	$kg.m^2.s^{-3}.A^{-2}$	$\Omega$ (ohm)	
Impulse	$kg.m.s^{-1}$		$[\Delta Moment\ of\ motion]$ , $[Force]*[\Delta Time]$ , $[Mass]*[\Delta Velocity]$
Income rate   Earnings	$cur.s^{-1}$	currency/year	$[Value]/[Time\ period]$ . Economy and finance
Inductance	$kg.m^2.s^{-2}.A^{-2}$	$V.s.A^{-1}$ , $Wb.A^{-1}$ , <b>H</b> (henry)	$[\Delta Potential]/[dCurrent/dt]$ , $[Mag.flux]/[Current]$
Induction, electric	$m^{-2}.s.A$	$C.m^{-2}$	$[Charge]/[Area]$ . Same as <b>electric flux density</b>
Inductive admittance	$kg^{-1}.m^{-2}.s^3.A^2$	<b>S</b> (siemens)	$1/[Inductive\ impedance]$
Inductive impedance	$kg.m^2.s^{-3}.A^{-2}$	$\Omega$ (ohm)	$i[\Angular\ frequency].[Inductance]$
Information	$bit^{-1}$	<b>bit</b>	One bit is the elementary information quantum
Information flux   Baud rate	$bit.s^{-1}$	<b>baud</b>	$[Information]/[Time]$
Intensity of electric current	$m^{-2}.A$		$[Current]/[Area]$ . Same as <b>current density</b>
Interest	1	%	$[\Delta Wealth]/[Wealth]$ . Economy and finance
Interest rate	$s^{-1}$	%/year	$[Interest]/[Time\ period]$ . Economy and finance
Internal energy	$kg.m^2.s^{-2}$	J	Like <b>energy</b> and <b>heat</b>
Internal energy, molar	$kg.m^2.s^{-2}.mol^{-1}$	$J.mol^{-1}$	$[Internal\ energy]/[Quantity]$ . Like <b>molar heat</b>
Internal energy, specific	$m^2.s^{-2}$	$J.kg^{-1}$	$[Internal\ energy]/[Mass]$ . Like <b>specific heat</b>
Ion mobility	$kg^{-1}.m^{-1}.s^2.A$	$m^2.s^{-1}.V^{-1}$	$[Velocity]/[Electric\ field\ strength]$ .
Ionic force (strength)	$m^{-3}.mol$		$Sum([Concentration]*[Ionic\ quantum\ charge]^2)$ .
Ionic quantum charge	1	Dimensionless	$[Ion\ charge]/[Elementary\ charge\ quantum]$
Ionic strength (force)	$m^{-3}.mol$		$Sum([Concentration]*[Ionic\ quantum\ charge]^2)$ .
Ionization energy, molar	$kg.m^2.s^{-2}.mol^{-1}$	$J.mol^{-1}$	Energy to ionize a molecule/atom
Irradiance	$kg.s^{-3}$	$W.m^{-2}$	$[Heat\ flux]/[Area]$ . Same as <b>heat flux density</b>
<b>J:</b>			
Joule-Thomson coefficient	$kg^{-1}.m.s^2.K$	$K.Pa^{-1}$	$[\Delta Temperature]/[\Delta Pressure]$
<b>K:</b>			
Katalytic activity	$mol.s^{-1}$	<b>katal</b>	$[\Delta Quantity]/[Time]$ . Same as <b>molar production rate</b>
Kinematic viscosity	$m^2.s^{-1}$		$[Dynamic\ viscosity]/[Density]$
K-space vector   Reciprocal space position	$m^{-1}$		
<b>L:</b>			

Lagrangian	kg.m <sup>2</sup> .s <sup>-2</sup>	J	[Force]*[Distance], [Power]*[Time]. Like <b>energy</b>
Laplace operator   Laplacian	m <sup>-2</sup>		$\nabla^2 = \partial^2/\partial x^2 + \partial^2/\partial y^2 + \partial^2/\partial z^2$
Length	m	<b>m</b> (meter)	
Liability   Debt	cur	<b>currency</b>	Economy and finance
Linear stiffness	kg.s <sup>-2</sup>	N.m <sup>-1</sup>	[Force]/[Displacement]. ... of a structure
Logarithmic ratio log <sub>b</sub> (A/A') in any base b	1		Applicable to any ratio of commensurable quantities
Logarithmic ratio ln(A/A')	1	<b>Np</b>	<b>Neper</b> . Uses natural logarithm
Logarithmic ratio Log(P/P')/10	1	<b>dB</b> (decibel)	Uses base-10 logarithm. Applies only to power P
Logarithmic ratio Log(X/X')/20	1	<b>dB</b> (decibel)	Applies to voltages (X=V) and currents (X=I)
Logarithmic scale differential	1	Dimensionless	dQ/Q, d{ln(Q)}, for any quantity Q. Also <b>relative differential</b>
Logarithmic scale probability density	1	1/Np	[Probability]/[Natural-logarithmic ratio]
Loss of a device	1	Dimensionless	[Output]/[Input], like-quantities ratio. Often in dB
Luminance	cd.m <sup>-2</sup>		[Luminosity]/[Area]
Luminosity	cd	<b>cd</b> (candle)	Same as <b>luminous intensity</b>
Luminous coefficient	1	Dimensionless	[Luminous efficacy]/[683 lm/W]. Same as <b>luminous efficiency</b>
Luminous efficacy	cd.sr.kg <sup>-1</sup> .m <sup>-1</sup> .s <sup>3</sup>	lm/W	[Luminous flux]/[Power]
Luminous efficiency	1	Dimensionless	[Luminous efficacy]/[683 lm/W]. Same as <b>luminous coefficient</b>
Luminous emittance	cd.sr.m <sup>-2</sup>	lm.m <sup>-2</sup> , <b>lx</b> (lux)	[Luminous flux]/[Area]. Same as <b>luminous exitance</b>
Luminous energy	cd.sr.s	lm.s	[Luminous flux]*[Time]. Known as <b>talbot</b>
Luminous flux	cd.sr	<b>lm</b> (lumen)	[Luminosity]*[Solid angle]. Same as <b>luminous power</b>
Luminous intensity	cd	<b>cd</b> (candle)	Same as <b>luminosity</b>
Luminous power	cd.sr	<b>lm</b> (lumen)	[Luminosity]*[Solid angle]. Same as <b>luminous flux</b>
<b>M:</b>			
Magnetic charge (bound)	m <sup>-2</sup> .A		-∇.[Magnetization], -Divergence of <b>magnetization</b>
Magnetic dipole moment	m <sup>2</sup> .A	J.T <sup>-1</sup>	[Current]*[Area]. Same as <b>magnetic moment</b>
Magnetic field gradient	kg.m <sup>-1</sup> .s <sup>-2</sup> .A <sup>-1</sup>	T.m <sup>-1</sup>	[ΔMag.flux density]/[Distance]
Magnetic field strength   Magnetic intensity	m <sup>-1</sup> .A		[Current]/[Distance]
Magnetic flux	kg.m <sup>2</sup> .s <sup>-2</sup> .A <sup>-1</sup>	V.s, W.s.A <sup>-1</sup> , <b>Wb</b> (weber)	[ΔPotential]*[Time], [Power]/[dCurrent/dt]
Magnetic flux density   Magnetic induction	kg.s <sup>-2</sup> .A <sup>-1</sup>	Wb.m <sup>-2</sup> , <b>T</b> (tesla)	[Mag.flux]/[Area]
Magnetic induction	kg.s <sup>-2</sup> .A <sup>-1</sup>	Wb.m <sup>-2</sup> , <b>T</b> (tesla)	[Mag.flux]/[Area]. More properly <b>magnetic flux density</b>
Magnetic intensity	m <sup>-1</sup> .A		[Current]/[Distance]. More properly <b>magnetic field strength</b>
Magnetic moment	m <sup>2</sup> .A	J.T <sup>-1</sup>	[Current]*[Area]
Magnetic permeability	kg.m.s <sup>-2</sup> .A <sup>2</sup>	H.m <sup>-1</sup>	[Mag.flux density]/[Mag.field strength]
Magnetic permeability, relative	1	Dimensionless	[Permeability]/[Permeability of vacuum]
Magnetic quadrupole moment	m <sup>3</sup> .A	m.J.T <sup>-1</sup>	[Mag.dipole]*[Distance]
Magnetic susceptibility	1	Dimensionless	[Relative permeability]-1
Magnetic vector potential	kg.m.s <sup>-2</sup> .A <sup>-1</sup>	m <sup>-1</sup> .s.V, m.T	[Mag.flux density]*[Distance], [El.field strength]*[Time]
Magnetization	m <sup>-1</sup> .A		[Mag.moment]/[Volume]. Like <b>magnetic field strength</b>
Magnetogyric ratio	kg.s <sup>-1</sup> .A <sup>-1</sup>	T.Hz <sup>-1</sup>	[Angular moment of motion]/[Mag.moment]
Magnetomotive force (mmf)	A		[Current]*[Number of turns]
Magnitude of a star	1	Dimensionless	m-m'=-10 <sup>0.4</sup> (S/S'), where S,S' are the luminous fluxes of two stars
Mass	kg	<b>kg</b> (kilogram)	
Mass density	kg.m <sup>-3</sup>		[Mass]/[Volume]. Same as <b>specific density</b>
Mass density gradient   Specific density gradient	kg.m <sup>-4</sup>		[Mass density]/[Distance]
Mass concentration	1	Dimensionless	[Partial mass]/[Total mass]
Mass flow (total)	kg.s <sup>-1</sup>	kg	[ΔMass]/[Time]. For example, through a device
Mass production rate	kg.s <sup>-1</sup>		[ΔMass]/[Time]. Same as <b>mass flow</b>
Mass, molar	kg.mol <sup>-1</sup>		[Mass]/[Quantity]
Mass number of an isotope	1	Dimensionless	Number of protons+neutrons in the isotope nuclide
Mean anomaly	1	Dimensionless	Of a body on a Kepler orbit; t.sqr(G(M <sub>1</sub> +M <sub>2</sub> )/r <sup>3</sup> )
Mean motion	s <sup>-1</sup>		Of a body on a Kepler orbit; sqrt(G(M <sub>1</sub> +M <sub>2</sub> )/r <sup>3</sup> )
Modulus of compression	kg <sup>-1</sup> .m.s <sup>2</sup>	Pa <sup>-1</sup>	[Pressure]/([ΔVolume]/[Volume]). Same as <b>compressibility</b>
Modulus of rigidity	kg.m <sup>-1</sup> .s <sup>-2</sup>	N.m <sup>-2</sup> , Pa	[Stress]/[Strain]. Same as <b>shear modulus</b>
Mobility, ionic	kg <sup>-1</sup> .m <sup>-1</sup> .s <sup>2</sup> .A	m <sup>2</sup> .s <sup>-1</sup> .V <sup>-1</sup>	[Velocity]/[Electric field strength] .
Molality (intended as concentration)	kg <sup>-1</sup> .mol	mol/kg	[Quantity]/[Mass]

<b>Molar charge</b>	$\text{s}\cdot\text{A}\cdot\text{mol}^{-1}$	$\text{C}\cdot\text{mol}^{-1}$	[Charge]/[Quantity]
<b>Molar concentration</b>	$\text{m}^{-3}\cdot\text{mol}$		[Quantity]/[Volume]. Same as <b>concentration</b> or <b>molarity</b>
<b>Molar concentration gradient</b>	$\text{m}^{-4}\cdot\text{mol}$		[Molarity]/[Distance]. Same as <b>molarity gradient</b>
<b>Molar concentration ratio</b>	1	Dimensionless	[Partial quantity]/[Total quantity]
<b>Molar conductivity, electric</b>	$\text{kg}^{-1}\cdot\text{m}^{-3}\cdot\text{s}^3\cdot\text{A}^2\cdot\text{mol}^{-1}$	$\text{S}\cdot\text{m}^{-1}\cdot\text{mol}^{-1}$	[El.conductivity]/[Concentration]
<b>Molar density</b>	$\text{m}^{-3}\cdot\text{mol}$		[Quantity]/[Volume]. Same as <b>concentration</b>
<b>Molar energy</b>	$\text{kg}\cdot\text{m}^2\cdot\text{s}^{-2}\cdot\text{mol}^{-1}$	$\text{J}\cdot\text{mol}^{-1}$	[Energy]/[Quantity]
<b>Molar enthalpy</b>	$\text{kg}\cdot\text{m}^2\cdot\text{s}^{-2}\cdot\text{mol}^{-1}$	$\text{J}\cdot\text{mol}^{-1}$	[Enthalpy]/[Quantity]. Like <b>molar heat</b>
<b>Molar entropy</b>	$\text{kg}\cdot\text{m}^2\cdot\text{s}^{-2}\cdot\text{K}^{-1}\cdot\text{mol}^{-1}$	$\text{J}\cdot\text{K}^{-1}\cdot\text{mol}^{-1}$	[Entropy]/[Quantity]
<b>Molar free energy</b>	$\text{kg}\cdot\text{m}^2\cdot\text{s}^{-2}\cdot\text{mol}^{-1}$	$\text{J}\cdot\text{mol}^{-1}$	[Free energy]/[Quantity]. Also <b>molar Helmholtz function</b>
<b>Molar free enthalpy</b>	$\text{kg}\cdot\text{m}^2\cdot\text{s}^{-2}\cdot\text{mol}^{-1}$	$\text{J}\cdot\text{mol}^{-1}$	[Free enthalpy]/[Quantity]. Also <b>molar Gibbs function</b>
<b>Molar heat</b>	$\text{kg}\cdot\text{m}^2\cdot\text{s}^{-2}\cdot\text{mol}^{-1}$	$\text{J}\cdot\text{mol}^{-1}$	[Heat]/[Quantity]
<b>Molar heat capacity</b>	$\text{kg}\cdot\text{m}^2\cdot\text{s}^{-2}\cdot\text{K}^{-1}\cdot\text{mol}^{-1}$	$\text{J}\cdot\text{K}^{-1}\cdot\text{mol}^{-1}$	[Heat capacity]/[Quantity]
<b>Molar internal energy</b>	$\text{kg}\cdot\text{m}^2\cdot\text{s}^{-2}\cdot\text{mol}^{-1}$	$\text{J}\cdot\text{mol}^{-1}$	[Internal energy]/[Quantity]. Like <b>molar heat</b>
<b>Molar mass</b>	$\text{kg}\cdot\text{mol}^{-1}$		[Mass]/[Quantity]
<b>Molar particle count</b>	$\text{mol}^{-1}$		[Count]/[Mol]. For example, the Avogadro constant
<b>Molar production rate</b>	$\text{mol}\cdot\text{s}^{-1}$		$[\Delta\text{Quantity}]/[\text{Time}]$ .
<b>Molar refractivity</b>	$\text{m}^3\cdot\text{mol}^{-1}$		$[(r^2-1)/(r^2+2)]/[\text{Concentration}]$ , where r is the refractive index
<b>Molar relaxivity</b>	$\text{s}^{-1}\cdot\text{mol}^{-1}$		[Relaxation rate]/[Concentration]
<b>Molar solubility</b>	$\text{m}^{-3}\cdot\text{mol}$		[Quantity]/[Volume]. Same as <b>concentration</b>
<b>Molar volume</b>	$\text{m}^3\cdot\text{mol}^{-1}$		[Volume]/[Quantity]
<b>Molarity</b>	$\text{m}^{-3}\cdot\text{mol}$		[Quantity]/[Volume]. Same as <b>concentration</b> or <b>molar density</b>
<b>Molarity gradient</b>	$\text{m}^{-4}\cdot\text{mol}$		[Molarity]/[Distance]. Same as <b>concentration gradient</b>
<b>Molecular quantum charge</b>	1	Dimensionless	[Charge of a molecule]/[Elementary charge quantum]
<b>Moment of force</b>	$\text{kg}\cdot\text{m}^2\cdot\text{s}^{-2}$	N.m	[Force]*[Distance]
<b>Moment of motion</b>	$\text{kg}\cdot\text{m}\cdot\text{s}^{-1}$		[Mass]*[Velocity], [Mass flow]*[Distance]
<b>Multiple derivatives with respect to time</b>	$\text{s}^{-p}$		$d^p/dt^p$ , $\partial^p/\partial t^p$ ; for p = 1,2,3,..
<b>Multiple derivatives with respect to a length</b>	$\text{m}^{-p}$		$d^p/dr^p$ , $\partial^p/\partial r^p$ ; for p = 1,2,3,..., r = x   y   z
<b>Mutual inductance</b>	$\text{kg}\cdot\text{m}^2\cdot\text{s}^{-2}\cdot\text{A}^{-2}$	$\text{V}\cdot\text{s}\cdot\text{A}^{-1}$ , $\text{Wb}\cdot\text{A}^{-1}$ , <b>H</b> (henry)	$[\Delta\text{Potential}]/[d\text{Current}/dt]$ , [Mag.flux]/[Current]
<b>N:</b>			
<b>Nabla ( ∇ )   div   grad   rot   curl</b>	$\text{m}^{-1}$		Any derivative-like construct with respect to a distance
<b>Notch resistance</b>	$\text{kg}\cdot\text{s}^{-2}$	$\text{J}\cdot\text{m}^{-2}$	[Energy]/[Area]
<b>Number of instances / events</b>	1		This covers all kinds of <b>enumerations</b>
<b>Number density</b>	$\text{m}^{-3}$		[Particles]/[Volume]. Obsolete; see <b>particle density</b>
<b>Number of turns</b>	1		Often used in electric engineering
<b>O:</b>			
<b>Osmotic pressure</b>	$\text{kg}\cdot\text{m}^{-1}\cdot\text{s}^{-2}$	Pa	
<b>P:</b>			
<b>Particle count, molar</b>	$\text{mol}^{-1}$		[Count]/[Mol]. For example, the Avogadro constant
<b>Particle density</b>	$\text{m}^{-3}$		[Count]/[Volume]. Obsolete: <b>number density</b>
<b>P/E Price/Earnings ratio</b>	s	year	[Value]/[Earnings]. Economy and finance
<b>Peltier coefficient</b>	$\text{kg}\cdot\text{m}^2\cdot\text{s}^{-3}\cdot\text{A}^{-1}$	$\text{W}\cdot\text{A}^{-1}$ , V	[Heat flux]/[Current]
<b>Perimeter   Circumference</b>	m		
<b>Permeability, magnetic</b>	$\text{kg}\cdot\text{m}\cdot\text{s}^{-2}\cdot\text{A}^{-2}$	$\text{H}\cdot\text{m}^{-1}$	[Mag.flux density]/[Mag.field strength]
<b>Permeability, hydraulic</b>	$\text{m}^2$	1 darcy = $10^{-12} \text{m}^2$	[Velocity]*[Viscosity]/[Pressure gradient], in <b>porous media</b>
<b>Permittivity, electric</b>	$\text{kg}^{-1}\cdot\text{m}^{-3}\cdot\text{s}^4\cdot\text{A}^2$	$\text{F}\cdot\text{m}^{-1}$	[El.flux density]/[El.field strength]
<b>Permittivity, relative</b>	1	Dimensionless	[Permittivity]/[Permittivity of vacuum]. <b>Dielectric constant</b>
<b>Phase   Phase angle</b>	1	rad	$\phi$ typically in $\exp(i(\omega t + \phi))$
<b>Phase drift rate</b>	$\text{s}^{-1}$	$\text{rad}\cdot\text{s}^{-1}$	[Phase angle]/[Time]
<b>Pi coefficient, molar</b>	$\text{kg}\cdot\text{m}^{-1}\cdot\text{s}^{-2}\cdot\text{mol}^{-1}$	$\text{J}\cdot\text{m}^{-3}$	$[\Delta\text{InternalEnergy}]/[\Delta\text{Volume}]$
<b>Piezoelectric coefficient</b>	$\text{kg}\cdot\text{m}\cdot\text{s}^{-3}\cdot\text{A}^{-1}$	$\text{V}\cdot\text{m}^{-1}$	[Electric field strength]/([ΔLength]/[Length])
<b>Plane angle</b>	1	<b>rad</b>	
<b>Poisson's ratio</b>	1	Dimensionless	[Transversal striction]/[Londitudinal elongation]
<b>Polarization, electric</b>	$\text{m}^{-2}\cdot\text{s}\cdot\text{A}$	$\text{C}\cdot\text{m}^{-2}$	[Charge]/[Area]. Like <b>electric flux density</b>

Porosity, superficial	1	Dimensionless	[Void cross section]/[Total cross section], in <b>porous media</b>
Porosity, volume	1	Dimensionless	[Pores volume]/[Total volume], in <b>porous media</b>
Position vector	m		in all Euclidean n-dimensional spaces
Potential, electric	$\text{kg}\cdot\text{m}^2\cdot\text{s}^{-3}\cdot\text{A}^{-1}$	$\text{W}\cdot\text{A}^{-1}$ , $\text{J}\cdot\text{C}^{-1}$ , <b>V</b> (volt)	[Power]/[Current], [Energy]/[Charge]
Power	$\text{kg}\cdot\text{m}^2\cdot\text{s}^{-3}$	$\text{J}\cdot\text{s}^{-1}$ , <b>W</b> (watt)	[ΔEnergy]/[ΔTime]. Equivalent to <b>energy flux</b>
Prandtl number	1	Dimensionless	[Kinematic viscosity]/[Thermal diffusivity]
Propagation loss	$\text{m}^{-1}$	dB/m	[Ratio]/m. Generic, usable for any quantity
Poynting vector	$\text{kg}\cdot\text{s}^{-3}$	$\text{W}\cdot\text{m}^{-2}$	[El.field strength]/[Mag.field strength]. Like <b>irradiance</b>
Pressure	$\text{kg}\cdot\text{m}^{-1}\cdot\text{s}^{-2}$	$\text{N}\cdot\text{m}^{-2}$ , <b>Pa</b> (pascal)	[Force]/[Area]
Pressure gradient	$\text{kg}\cdot\text{m}^{-2}\cdot\text{s}^{-2}$	$\text{N}\cdot\text{m}^{-3}$ , <b>Pa/m</b>	[Pressure]/[Distance]
Price   Value	cur	currency	Economy and finance
Probability of an event	1		Real number in a dimensionless interval [0,1]
Probability density on log-scale	1	$\text{Np}^{-1}$	[Probability]/[Natural-logarithmic ratio]
Purchase   Transaction value	cur	currency	Economy and finance
<b>Q:</b>			
Quadrupole moment, electric	$\text{m}^2\cdot\text{s}\cdot\text{A}$	$\text{C}\cdot\text{m}^2$	[Electric dipole]*[Distance], [Electric charge]*[Distance <sup>2</sup> ]
Quadrupole moment, magnetic	$\text{m}^3\cdot\text{A}$	$\text{m}\cdot\text{J}\cdot\text{T}^{-1}$	[Mag.dipole]*[Distance]
Quantity of substance	mol	<b>mol</b>	
Quantum charge	1	Dimensionless	[Charge]/[Elementary charge quantum]
Quantum charge, molecular or ionic	1	Dimensionless	[Molecule/ion charge]/[Charge quantum]
Quotient of dispersivity	$\text{m}^{-1}$		[ΔRefractive index]/[ΔWavelength]
<b>R:</b>			
Radiance	$\text{kg}\cdot\text{s}^{-3}\cdot\text{sr}^{-1}$	$\text{W}\cdot\text{m}^{-2}\cdot\text{sr}^{-1}$	([Power]/[Area])/[Solid angle]
Radiation dose	$\text{m}^2\cdot\text{s}^{-2}$	$\text{J}\cdot\text{kg}^{-1}$ , <b>Gy</b> (gray)	[Energy]/[Mass]
Radiation dose rate	$\text{m}^2\cdot\text{s}^{-3}$	$\text{Gy}\cdot\text{s}^{-1}$	[Absorbed dose]/[Time]
Radioactivity	$\text{s}^{-1}$	<b>Bq</b> (becquerel)	[Counts]/[Time]
Radius of curvature	m		of a line in plane/space or surface in space
Rotational stiffness	$\text{kg}\cdot\text{m}^2\cdot\text{s}^{-2}\cdot\text{rad}^{-1}$	$\text{N}\cdot\text{m}\cdot\text{rad}^{-1}$	[Moment of force]/[Angle]. ... of a structure
Ratio of commensurable quantities	1	Dimensionless	Q1/Q2, with Q1 and Q2 having the same dimension
Reactance, acoustic	$\text{kg}\cdot\text{m}^{-4}\cdot\text{s}^{-1}$	$\text{Pa}\cdot\text{s}/\text{m}^3$ , $\text{reyl}/\text{m}^2$	[ΔPressure]/[Volume flow rate]. Also <b>acu. impedance / resistance</b>
Reactance, acoustic, specific	$\text{kg}\cdot\text{m}^{-2}\cdot\text{s}^{-1}$	$\text{Pa}\cdot\text{s}/\text{m}$ , <b>reyl</b>	[ΔPressure]*[Velocity]. Also <b>s.acu. impedance / resistance</b>
Reactance, capacitive	$\text{kg}\cdot\text{m}^2\cdot\text{s}^{-3}\cdot\text{A}^{-2}$	<b>Ω</b> (ohm)	$1/(i[\text{Angular frequency}]\cdot[\text{Capacitance}])$
Reciprocal space position   K-space vector	$\text{m}^{-1}$		
Redox potential	$\text{kg}\cdot\text{m}^2\cdot\text{s}^{-3}\cdot\text{A}^{-1}$	<b>V</b> (volt)	Same as <b>reduction potential</b>
Reduction potential	$\text{kg}\cdot\text{m}^2\cdot\text{s}^{-3}\cdot\text{A}^{-1}$	<b>V</b> (volt)	Same as <b>redox potential</b>
Refractive index	1	Dimensionless	Light speeds ration (in a medium)/(in vacuum)
Refractivity, molar	$\text{m}^3\cdot\text{mol}^{-1}$		$[(r^2-1)/(r^2+2)]/[\text{Concentration}]$
Refractivity, specific	$\text{m}^3\cdot\text{kg}^{-1}$		$[(r^2-1)/(r^2+2)]/[\text{Specific density}]$ ,
Relative atomic mass   Atomic weight	au	atomic units	Average over a typical isotopic composition
Relative differential	1	Dimensionless	$dQ/Q$ , $d\{\ln(Q)\}$ , for any quantity Q. Also <b>log-scale differential</b>
Relative evolution rate	$\text{s}^{-1}$		$d\{\ln(Q)\}/dt = (dQ/dt)/Q$ . Also <b>log-scale evolution rate</b>
Relative permeability, magnetic	1	Dimensionless	[Permeability]/[Permeability of vacuum]
Relative permittivity, electric	1	Dimensionless	[Permittivity]/[Permittivity of vacuum]. <b>Dielectric constant</b>
Relative variation	1	Dimensionless	$\Delta Q/Q$ , for any quantity Q
Relativistic displacement four-tensor ( $D^{\mu\nu}$ )	$\text{m}^{-1}\cdot\text{A}$		Like <b>magnetic intensity</b>
Relativistic electromagnetic field tensor ( $F^{\mu\nu}$ )	$\text{kg}\cdot\text{s}^{-2}\cdot\text{A}^{-1}$	<b>T</b>	Like <b>magnetic flux density</b>
Relativistic four-current ( $J^\alpha$ )	$\text{m}^{-2}\cdot\text{A}$		Like <b>current density</b> and [Charge]*[c]
Relativistic four-potential ( $A^\alpha$ )	$\text{kg}\cdot\text{m}\cdot\text{s}^{-2}\cdot\text{A}^{-1}$	$\text{m}^{-1}\cdot\text{s}\cdot\text{V}$ , $\text{m}\cdot\text{T}$	Like <b>magnetic vector potential</b> and [El.potential]/[c]
Relaxation rate	$\text{s}^{-1}$		$1/[\text{Relaxation time}]$ . Used for returns to equilibria
Relaxation time	s		Used for returns to equilibria
Relaxivity, molar	$\text{s}^{-1}\cdot\text{mol}^{-1}$		[Relaxation rate]/[Concentration]
Reluctance, magnetic	$\text{kg}^{-1}\cdot\text{m}^{-1}\cdot\text{s}^2\cdot\text{A}^2$	$\text{m}\cdot\text{H}^{-1}$	$1/[\text{Permeability}]$
Resistance, acoustic	$\text{kg}\cdot\text{m}^{-4}\cdot\text{s}^{-1}$	$\text{Pa}\cdot\text{s}/\text{m}^3$ , $\text{reyl}/\text{m}^2$	[ΔPressure]/[Volume flow rate]. Also <b>acu. impedance / reactance</b>
Resistance, acoustic, specific	$\text{kg}\cdot\text{m}^{-2}\cdot\text{s}^{-1}$	$\text{Pa}\cdot\text{s}/\text{m}$ , <b>reyl</b>	[ΔPressure]*[Velocity]. Also <b>s.acu. impedance / reactance</b>
Resistance, electric	$\text{kg}\cdot\text{m}^2\cdot\text{s}^{-3}\cdot\text{A}^{-2}$	$\text{V}\cdot\text{A}^{-1}$ , <b>Ω</b> (ohm)	[ΔPotential]/[Current]



Resistance, thermal	$\text{kg}^{-1} \cdot \text{m}^{-2} \cdot \text{s}^3 \text{K}$	K/W	of a device. $[\Delta T]/[\text{Power}]$ .
Resistance to impact	$\text{kg} \cdot \text{s}^{-2}$	$\text{J} \cdot \text{m}^{-2}$	$[\text{Energy}]/[\text{Area}]$ . Like <b>notch resistance</b>
Resistivity, electric	$\text{kg} \cdot \text{m}^3 \cdot \text{s}^{-3} \cdot \text{A}^{-2}$	$\Omega \cdot \text{m}$	$([\text{Resistance}] \cdot [\text{Length}])/[\text{Area}]$
Return on asset / equity	$\text{s}^{-1}$	%/year	$([\Delta \text{Value}]/[\text{Value}])/[\text{Time period}]$ . Economy and finance
Reynolds number	1	Dimensionless	$[\text{Velocity}] \cdot [\text{length}]/[\text{Kinematic viscosity}]$
RF attenuation	$\text{m}^{-1}$	dB/m	$[\text{Ratio}]/\text{m}$ . Used mostly for radiation
<b>S:</b>			
Sale   Transaction value	cur	currency	Economy and finance
Sales flow   Transactions volume	$\text{cur} \cdot \text{s}^{-1}$		$[\text{Value}]/[\text{Time period}]$ . Economy and Finance
Seebeck coefficient	$\text{kg} \cdot \text{m}^2 \cdot \text{s}^{-3} \cdot \text{A}^{-1} \cdot \text{K}^{-1}$	$\text{V} \cdot \text{K}^{-1}$	$[\Delta \text{Potential}]/[\Delta \text{Temperature}]$ . Same as <b>thermoelectric power</b>
Self-diffusion coefficient	$\text{m}^2 \cdot \text{s}^{-1}$		$[\text{Distance}^2]/[\text{Time}]$
Settling rate	$\text{s}^{-1}$	typically dB/s	$[\text{Ratio}]/[\Delta \text{Time}]$
Settling time	s	typically dB/s	Used to describe transient phenomena
Shear modulus	$\text{kg} \cdot \text{m}^{-1} \cdot \text{s}^{-2}$	$\text{N} \cdot \text{m}^{-2}$ , Pa	$[\text{Stress}]/[\text{Strain}]$ . Like <b>Young modulus</b>
Softening point	K		Temperature at which hardness drops below a level
Solid angle	1	<b>sr</b> (steradian)	
Solubility, molar	$\text{m}^{-3} \cdot \text{mol}$		$[\text{Quantity}]/[\text{Volume}]$ . Same as <b>concentration</b>
Sonic attenuation	$\text{m}^{-1}$	dB/m	$[\text{Power ratio}]/\text{m}$ . Used in acoustics
Specific acoustic impedance	$\text{kg} \cdot \text{m}^{-2} \cdot \text{s}^{-1}$	$\text{Pa} \cdot \text{s}/\text{m}$ , <b>reyl</b>	$[\Delta \text{Pressure}] \cdot [\text{Velocity}]$ . Also <b>s.acu. resistance / reactance</b>
Specific acoustic conductance	$\text{kg}^{-1} \cdot \text{m}^2 \cdot \text{s}$	$\text{reyl}^{-1}$	Also <b>specific acoustic susceptance</b>
Specific charge	$\text{kg}^{-1} \cdot \text{s} \cdot \text{A}$	$\text{C} \cdot \text{kg}^{-1}$	$[\text{Charge}]/[\text{Mass}]$ . <b>Charge/mass ratio</b>
Specific density	$\text{kg} \cdot \text{m}^{-3}$		$[\text{Mass}]/[\text{Volume}]$ . Same as <b>density of mass</b>
Specific density gradient	$\text{kg} \cdot \text{m}^{-4}$		$[\text{Mass density}]/[\text{Distance}]$ . Same as <b>mass density gradient</b>
Specific energy	$\text{m}^2 \cdot \text{s}^{-2}$	$\text{J} \cdot \text{kg}^{-1}$	$[\text{Energy}]/[\text{Mass}]$
Specific enthalpy	$\text{m}^2 \cdot \text{s}^{-2}$	$\text{J} \cdot \text{kg}^{-1}$	$[\text{Enthalpy}]/[\text{Mass}]$ . Like <b>specific heat</b>
Specific entropy	$\text{m}^2 \cdot \text{s}^{-2} \cdot \text{K}^{-1}$	$\text{J} \cdot \text{K}^{-1} \cdot \text{kg}^{-1}$	$[\text{Entropy}]/[\text{Mass}]$
Specific free energy	$\text{m}^2 \cdot \text{s}^{-2}$	$\text{J} \cdot \text{kg}^{-1}$	$[\text{Free energy}]/[\text{Mass}]$ . Also <b>specific Helmholtz function</b>
Specific free enthalpy	$\text{m}^2 \cdot \text{s}^{-2}$	$\text{J} \cdot \text{kg}^{-1}$	$[\text{Free enthalpy}]/[\text{Mass}]$ . Also <b>specific Gibbs function</b>
Specific heat	$\text{m}^2 \cdot \text{s}^{-2}$	$\text{J} \cdot \text{kg}^{-1}$	$[\text{Heat}]/[\text{Mass}]$
Specific heat capacity	$\text{m}^2 \cdot \text{s}^{-2} \cdot \text{K}^{-1}$	$\text{J} \cdot \text{K}^{-1} \cdot \text{kg}^{-1}$	$[\text{Heat capacity}]/[\text{Mass}]$
Specific internal energy	$\text{m}^2 \cdot \text{s}^{-2}$	$\text{J} \cdot \text{kg}^{-1}$	$[\text{Internal energy}]/[\text{Mass}]$ . Like <b>specific heat</b>
Specific refractivity	$\text{m}^3 \cdot \text{kg}^{-1}$		$[(r^2 - 1)/(r^2 + 2)]/[\text{Specific density}]$
Specific volume	$\text{m}^3 \cdot \text{kg}^{-1}$		$[\text{Volume}]/[\text{Mass}]$
Speed	$\text{m} \cdot \text{s}^{-1}$		$[\text{Distance}]/[\text{Time}]$ . Same as <b>velocity</b>
Spin	1	Dimensionless	of a quantum particle
Star magnitude	1	Dimensionless	$m - m' = -10^{0.4}(S/S')$ , where S,S' are luminous fluxes of two stars
Stiffness, linear	$\text{kg} \cdot \text{s}^{-2}$	$\text{N} \cdot \text{m}^{-1}$	$[\text{Force}]/[\text{Displacement}]$ . ... of a structure
Stiffness, rotational	$\text{kg} \cdot \text{m}^2 \cdot \text{s}^{-2} \cdot \text{rad}^{-1}$	$\text{N} \cdot \text{m} \cdot \text{rad}^{-1}$	$[\text{Moment of force}]/[\text{Angle}]$ . ... of a structure
Strain (mechanical)	1	Dimensionless	$[\Delta \text{Length}]/[\text{Length}]$ Relative deformation
Strain point	K		Temperature at which viscosity drops below $10^{13.5} \text{ Pa} \cdot \text{s}$
Strength, compressive	$\text{kg} \cdot \text{m}^{-1} \cdot \text{s}^{-2}$	$\text{N} \cdot \text{m}^{-2}$ , Pa	$[\text{Force}]/[\text{Area}]$ . Like <b>pressure</b>
Strength, dielectric	$\text{kg} \cdot \text{m} \cdot \text{s}^{-3} \cdot \text{A}^{-1}$	$\text{V} \cdot \text{m}^{-1}$	$[\Delta \text{Potential}]/[\text{Distance}]$ . Same as <b>electric strength</b>
Strength, electric field   Electric intensity	$\text{kg} \cdot \text{m} \cdot \text{s}^{-3} \cdot \text{A}^{-1}$	$\text{V} \cdot \text{m}^{-1}$	$[\Delta \text{Potential}]/[\text{Distance}]$
Strength, ionic	$\text{m}^{-3} \cdot \text{mol}$		$\text{Sum}([\text{Concentration}] \cdot [\text{Ionic quantum charge}]^2)$ .
Strength, magnetic field   Magnetic intensity	$\text{m}^{-1} \cdot \text{A}$		$[\text{Current}]/[\text{Distance}]$
Strength, tensile	$\text{kg} \cdot \text{m}^{-1} \cdot \text{s}^{-2}$	$\text{N} \cdot \text{m}^{-2}$ , Pa	$[\text{Force}]/[\text{Area}]$ . Same as <b>pressure</b>
Superficial porosity	1	Dimensionless	$[\text{Void cross section}]/[\text{Total cross section}]$ , in <b>porous media</b>
Superficial velocity	$\text{m} \cdot \text{s}^{-1}$	m/s	In <b>porous media</b> ; as if the space was filled only by the fluid
Surface area	$\text{m}^2$		$[\text{Distance}] \cdot [\text{Distance}]$ . Applicable to 3D bodies
Surface density of charge	$\text{m}^{-2} \cdot \text{s} \cdot \text{A}$	$\text{C} \cdot \text{m}^{-2}$	$[\text{Charge}]/[\text{Area}]$
Surface element	$\text{m}^2$		$[\text{Distance}] \cdot [\text{Distance}]$ . Same as <b>area</b>
Surface energy	$\text{kg} \cdot \text{s}^{-2}$	$\text{J}/\text{m}^2$	$[\text{Energy}]/[\text{Area}]$ . Same as <b>surface tension</b>
Surface growth rate	$\text{m}^2 \cdot \text{s}^{-1}$		$[\Delta \text{Area}]/[\text{Time}]$
Surface tension	$\text{kg} \cdot \text{s}^{-2}$	N/m	$[\text{Force}]/[\text{Length}]$ . Same as <b>surface energy</b>
Susceptance, acoustic, specific	$\text{kg}^{-1} \cdot \text{m}^2 \cdot \text{s}$	$\text{reyl}^{-1}$	Also <b>specific acoustic conductance</b>

Susceptance, capacitive	$\text{kg}^{-1}.\text{m}^{-2}.\text{s}^3.\text{A}^2$	S (siemens)	1/[Reactance]
Susceptibility, magnetic	1	Dimensionless	[Relative permeability]-1
Stress	$\text{kg}.\text{m}^{-1}.\text{s}^{-2}$	Pa, N.m <sup>-2</sup>	[Force]/[Area]. Same as <b>pressure</b>
<b>T:</b>			
Temperature	K	K (kelvin)	
Temperature gradient	$\text{K}.\text{m}^{-1}$		[ΔTemperature]/[Distance]. Same as <b>thermal gradient</b>
Tensile strength	$\text{kg}.\text{m}^{-1}.\text{s}^{-2}$	N.m <sup>-2</sup> , Pa	[Force]/[Area]. Same as <b>pressure</b>
Tension	$\text{kg}.\text{m}^{-1}.\text{s}^{-2}$	Pa, N.m <sup>-2</sup>	[Force]/[Area]. Like <b>pressure</b>
Thermal conductivity	$\text{kg}.\text{m}.\text{s}^{-3}.\text{K}^{-1}$	$\text{W}.\text{m}^{-1}.\text{K}^{-1}$	[Heat flux]/([Distance]*[ΔTemperature]). Same as <b>heat conductivity</b>
Thermal diffusivity	$\text{m}^2.\text{s}^{-1}$		([∂Temperature]/[∂Time])/[∇ <sup>2</sup> Temperature].
Thermal expansion coefficient	$\text{K}^{-1}$		([ΔLength]/[Length])/[Temperature]
Thermal gradient	$\text{K}.\text{m}^{-1}$		[ΔTemperature]/[Distance]. Same as <b>temperature gradient</b>
Thermal resistance	$\text{kg}^{-1}.\text{m}^{-2}.\text{s}^3.\text{K}$	K/W	of a device. [ΔT]/[Power].
Thermodynamic force	$\text{kg}.\text{m}.\text{s}^{-2}.\text{mol}^{-1}$	N/mol	[ΔChemical potential]/[Distance]
Thermoelectric power   Thermopower	$\text{kg}.\text{m}^2.\text{s}^{-3}.\text{A}^{-1}.\text{K}^{-1}$	V.K <sup>-1</sup>	[ΔPotential]/[ΔTemperature]. Same as <b>Seebeck coefficient</b>
Thickness	m		usually referred to planar structures
Thomson coefficient	$\text{kg}.\text{m}^2.\text{s}^{-3}.\text{A}^{-1}.\text{K}^{-1}$	$\text{W}.\text{K}^{-1}.\text{A}^{-1}$	[Heat flux]/([ΔTemperature]*[Current])
Time	s	s (second)	
Torque   Moment of force	$\text{kg}.\text{m}^2.\text{s}^{-2}$	N.m	[Force]*[Distance]
Traction	$\text{kg}.\text{m}.\text{s}^{-2}$	N (newton)	Maximum tangential force before slipping
Traction coefficient	1	Dimensionless	[Traction]/[Weight]
Transaction value   Sale   Purchase	cur	currency	Economy and finance
Transactions count	1	Dimensionless	Economy and finance
Transactions rate   Activity	$\text{s}^{-1}$	1/year	[Transactions]/[Time period]. Economy and finance
Transactions volume   Sales flow	$\text{cur}.\text{s}^{-1}$		[Value]/[Time period]. Economy and Finance
Transmission loss	$\text{m}^{-1}$	dB/m	[Ratio]/m. Generic, usable for any quantity
<b>U:</b>			
<b>V:</b>			
V-number   Abbé number   Constringence	1	Dimensionless	$V_D = (n_D - 1)/(n_F - n_C)$
Value   Price	cur	currency	Economy and finance
van der Waals constant: a	$\text{kg}.\text{m}^5.\text{s}^{-2}.\text{mol}^{-2}$	$\text{Pa}.\text{m}^6$	a in $(p + a/V^2)(V - b) = RT$ , where V is molar volume
van der Waals constant: b	$\text{m}^3.\text{mol}^{-1}$		b in $(p + a/V^2)(V - b) = RT$ , where V is molar volume
Variance of current noise $n_J^2$	$\text{s}.\text{A}^2$	$\text{A}^2/\text{Hz}$	[Current] <sup>2</sup> /[Bandwidth]
Variance of voltage noise $n_V^2$	$\text{kg}^2.\text{m}^4.\text{s}^{-5}.\text{A}^{-2}$	$\text{V}^2/\text{Hz}$	[Voltage] <sup>2</sup> /[Bandwidth]
Vector potential, magnetic	$\text{kg}.\text{m}.\text{s}^{-2}.\text{A}^{-1}$	$\text{m}^{-1}.\text{s}.\text{V}$ , m.T	[Mag.flux density]*[Distance], [El.field strength]*[Time]
Velocity	$\text{m}.\text{s}^{-1}$	m/s	[Distance]/[Time]. Same as <b>speed</b>
Velocity, advection	$\text{m}.\text{s}^{-1}$	m/s	In <b>porous media</b> ; actual progress along pressure gradient
Velocity, of money (circulation)	$\text{s}^{-1}$	1/year	[Transactions]/[Time period]. Economy and finance
Velocity, superficial	$\text{m}.\text{s}^{-1}$	m/s	In <b>porous media</b> ; as if the space was filled only by the fluid
Verdet constant	$\text{kg}^{-1}.\text{m}^{-1}.\text{s}^2.\text{A}^1$	$\text{rad}.\text{m}^{-1}.\text{T}^{-1}$	([Angle]/[Length])/[Magnetic flux density]
Virial coefficient: second	$\text{m}^3.\text{mol}^{-1}$		B in $pV/(nRT) = 1 + B(n/V) + C(n/V)^2 + D(n/V)^3 + \dots$
Virial coefficient: third	$\text{m}^6.\text{mol}^{-2}$		C in $pV/(nRT) = 1 + B(n/V) + C(n/V)^2 + D(n/V)^3 + \dots$
Virial coefficient: fourth	$\text{m}^9.\text{mol}^{-3}$		C in $pV/(nRT) = 1 + B(n/V) + C(n/V)^2 + D(n/V)^3 + \dots$
Viscosity, dynamic	$\text{kg}.\text{m}^{-1}.\text{s}^{-1}$	Pa.s	([Force]/[Area])/[ΔVelocity]
Viscosity, kinematic	$\text{m}^2.\text{s}^{-1}$		[Dynamic viscosity]/[Density]
Voltage   Electromotive force	$\text{kg}.\text{m}^2.\text{s}^{-3}.\text{A}^{-1}$	V	[ΔPotential]
Voltage noise, variance $n_V^2$	$\text{kg}^2.\text{m}^4.\text{s}^{-5}.\text{A}^{-2}$	$\text{V}^2/\text{Hz}$	[Voltage] <sup>2</sup> /[Bandwidth]
Volume	$\text{m}^3$		[Area]*[Distance]
Volume concentration	1	Dimensionless	[Partial volume]/[Total volume]
Volume flow	$\text{m}^3.\text{s}^{-1}$		[Volume]/[Time]. For example, through a device
Volume growth rate	$\text{m}^3.\text{s}^{-1}$		[Volume]/[Time]. For example, of a crystal
Volume porosity	1	Dimensionless	[Pores volume]/[Total volume], in <b>porous media</b>
<b>W:</b>			
Wave function for N particles (quantum)	$\text{m}^{-3N/2}$	tentative	$ \psi ^2 dt^N$ is a dimensionless probability element.

Wavelength	m		[Wave velocity]/[Frequency]
Wavenumber	m <sup>-1</sup>		[Number of waves]/[Distance]
Wealth   Asset	cur	<b>currency</b>	Economy and finance
Work function	kg.m <sup>2</sup> .s <sup>-2</sup>	J, eV	[Energy] needed to remove an electron
<b>X:</b>			
<b>Y:</b>			
Young modulus	kg.m <sup>-1</sup> .s <sup>-2</sup>	N.m <sup>-2</sup> , Pa	[Stress]/[Strain]. Like <b>shear modulus</b>
<b>Z:</b>			

## Notes

### Purpose

Physical (or rather metrological) dimensions are often bewildering, even though the **international SI system of units** has simplified things a lot, compared to early 20th century and before. The main purpose of this page is to provide a **fast, handy reference** to the dimension you might need at the spur of a moment. Another, less evident, purpose is to **stimulate curiosity** and the desire to study Metrology and Dimensional Analysis.

### Formats and editorial comments

- **Bold magenta symbols** in the **Alternatives** column indicate commonly used quantities, mostly defined by the SI system.
- **Square brackets** convert the quantity they enclose into its *dimension*.
- Abbreviations **El.** and **Mag.** stand for **Electric** and **Magnetic**, respectively.
- [Quantity] stands for [Quantity of substance] and its dimension is **mol**.
- Names of units are always written with small first letter, even when derived from names of persons (for example 1 newton).

### Many links, other than those appearing below,

will be soon scattered through the text, accompanying the particular quantities. This feature will be intensified.

### Feedback:

If you think a link, or a quantity, are missing, please, let me know. Such suggestions are most appreciated.

### Disclaimer:

Since errors do happen, and also because not all metrological conventions are agreed upon and shared by everybody, the Editor of this page declines any responsibility for any damages that might result from its content, directly or indirectly. In other words, if you crash a spacecraft because some of your engineers used *meters* and others used *feet*, do not pretend that I should pay for it :-)

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15. For more, see [References on Systems of Units of Measurements](#)

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<a href="#">WWW issues</a>	<b>F</b> <a href="#">Instruments / Measurements</a>	<a href="#">Quantum Computing</a>	<b>F</b> <a href="#">NMR   ESR   MRI</a>	<b>F</b> <a href="#">Spectroscopy</a>
Hint: the <b>F</b> symbols above, where present, are links to free online texts (books, courses, theses, ...)				

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